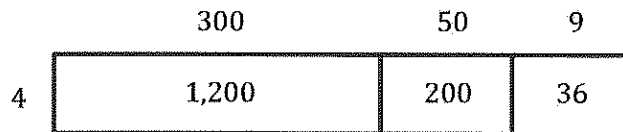


G4-M3-Lesson 33

1. Tyler solved a division problem by drawing this area model.

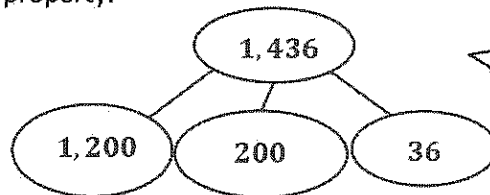


The total area is $1,200 + 200 + 36 = 1,436$. The width is 4. The length is $300 + 50 + 9 = 359$.
 $A \div w = l$.

a. What division problem did he solve?

Tyler solved $1,436 \div 4 = 359$.

b. Show a number bond to represent Tyler's area model, and represent the total length using the distributive property.



My number bond shows the same whole and parts as the area model. To represent the length, I divide each of the smaller areas by the width of 4.

$$\begin{aligned}
 & (1,200 \div 4) + (200 \div 4) + (36 \div 4) \\
 &= 300 + 50 + 9 \\
 &= 359
 \end{aligned}$$

2.

a. Draw an area model to solve $591 \div 3$.

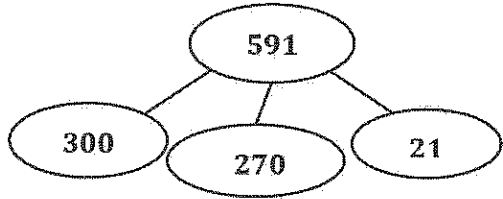


I decompose the area of 591 into smaller parts that are easy to divide by 3. I start with the hundreds. I distribute 3 hundreds. The area remaining to distribute is 291. I distribute 27 tens. The area remaining to distribute is 21 ones. I distribute the ones. I have a side length of $100 + 90 + 7 = 197$.

$$591 \div 3 = 197$$

3 hundreds, 27 tens, and 21 ones are all multiples of 3, which is the width and divisor.

b. Draw a number bond to represent this problem.



$$\begin{aligned}
 & (300 \div 3) + (270 \div 3) + (21 \div 3) \\
 = & 100 + 90 + 7 \\
 = & 197
 \end{aligned}$$

My number bond shows the same whole and parts as the area model. To represent the length, I divide each of the smaller areas by the width of 3. I get $100 + 90 + 7 = 197$.

c. Record your work using the long division algorithm.

$$\begin{array}{r}
 197 \\
 3 \overline{) 591} \\
 \underline{- 3} \\
 29 \\
 \underline{- 27} \\
 21 \\
 \underline{- 21} \\
 0
 \end{array}$$